Course Title: Computation Theory

Course Description:

This course sets out to the fundamentals of formal language theory and the theory of computation. Key topics include models of computation, the Church-Turing thesis, Turing machines, decidability and undecidability, computational complexity, NP-completeness, and diagonalization.

Prerequisite:

• CS 3000: Discrete Structures

Instructor Information:

- Instructor: Dr. Majid Mirzanezhad
- Office: 376 Stocker Center
- Email: <u>miirza@ohio.edu</u>
- Office Hours: To Be Determined

Meeting Times and Location:

- Lectures: Monday, Wednesday, Friday | 12:55 PM 1:50 PM
- Location: Irvine Hall, Room 194

Textbook:

• Introduction to the Theory of Computation by Michael Sipser, MIT, 3rd Edition

Course Objectives:

By the end of this course, students will:

- 1. Apply foundational knowledge of automata, grammars, and formal languages.
- 2. Understand the Church-Turing thesis and basic Turing machine models.
- 3. Apply techniques to prove undecidability of certain languages.
- 4. Utilize the Recursion Theorem and Rice's Theorem in problem-solving.
- 5. Comprehend computable functions and address precision in computations.
- 6. Grasp concepts of computational complexity, including P and NP classes.
- 7. Prove NP-completeness of problems.

Course Topics:

• Introduction and Mathematical Preliminaries:

Sets, relations, functions, strings, languages, and proof techniques.

- Automata and Formal Languages: Finite automata, regular languages, context-free grammars, pushdown automata, etc.
- Turing Machines and the Church-Turing Thesis:

Turing machine models, variants, the Church-Turing thesis, and universal Turing machines.

• Decidability and Undecidability:

Decidable languages, undecidable problems, reducibility, and the Halting Problem.

• Recursion Theorem and Rice's Theorem:

Understanding and applications of these theorems.

• Computable Functions and Numbers:

Computable functions, computable real numbers (e.g., $\sqrt{2}$), and precision issues.

• Complexity Theory:

Time complexity classes (P, NP), space complexity, and nondeterministic computation.

• NP-Completeness:

Polynomial-time reducibility, NP-completeness, and methods for proving NP-completeness.

• Diagonalization and Hierarchy Theorems:

Diagonalization techniques and time/space hierarchy theorems.